

View this system as $\langle \text{linearsystem} | C | \langle \text{vect} | b \rangle \rangle$, where C is the 4×4 matrix from $\langle \text{acronymref} | \text{exercise} | \text{MISLE.C28} \rangle$ and $\langle \text{vect} | b \rangle = \langle \text{colvector} | -4$

4

-20

9). Since C was seen to be nonsingular in $\langle \text{acronymref} | \text{exercise} | \text{MISLE.C28} \rangle$ $\langle \text{acronymref} | \text{theorem} | \text{SNCM} \rangle$ says the solution, which is unique by $\langle \text{acronymref} | \text{theorem} | \text{NMUS} \rangle$, is given by

Vea este sistema como: $\langle \text{linearsystem} | C | \langle \text{vect} | b \rangle \rangle$, donde C es la matriz 4×4 del $\langle \text{acronymref} | \text{exercise} | \text{MISLE.C28} \rangle$ y $\langle \text{vect} | b \rangle = \langle \text{colvector} | -4 \ 4 \ -20 \ 9 \rangle$.

dado que C esta denotada como no singular en $\langle \text{acronymref} | \text{exercise} | \text{MISLE.C28} \rangle$ $\langle \text{acronymref} | \text{theorem} | \text{SNCM} \rangle$ que nos da la solucion, la cual es unica por $\langle \text{acronymref} | \text{theorem} | \text{NMUS} \rangle$ y esta dada por

$$\langle \text{inverse} | C \rangle \langle \text{vect} | b \rangle = \langle \text{bmatrix} | \begin{matrix} 38 & 18 & -5 & -2 \\ 96 & 47 & -12 & -5 \\ -39 & -19 & 5 & 2 \\ -16 & -8 & 2 & 1 \end{matrix} \rangle$$

$$\langle \text{colvector} | -4 \ -20 \ 9 \rangle = \langle \text{colvector} | 2 \ -1 \ -2 \ 1 \rangle$$

Notice that this solution can be easily checked in the original system of equations.

Note que esta solucion, puede ser comprobada facilmente en el sistema original de ecuaciones.